

# Monetary and Macroprudential Policies in Norway

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Usual disclaimer applies

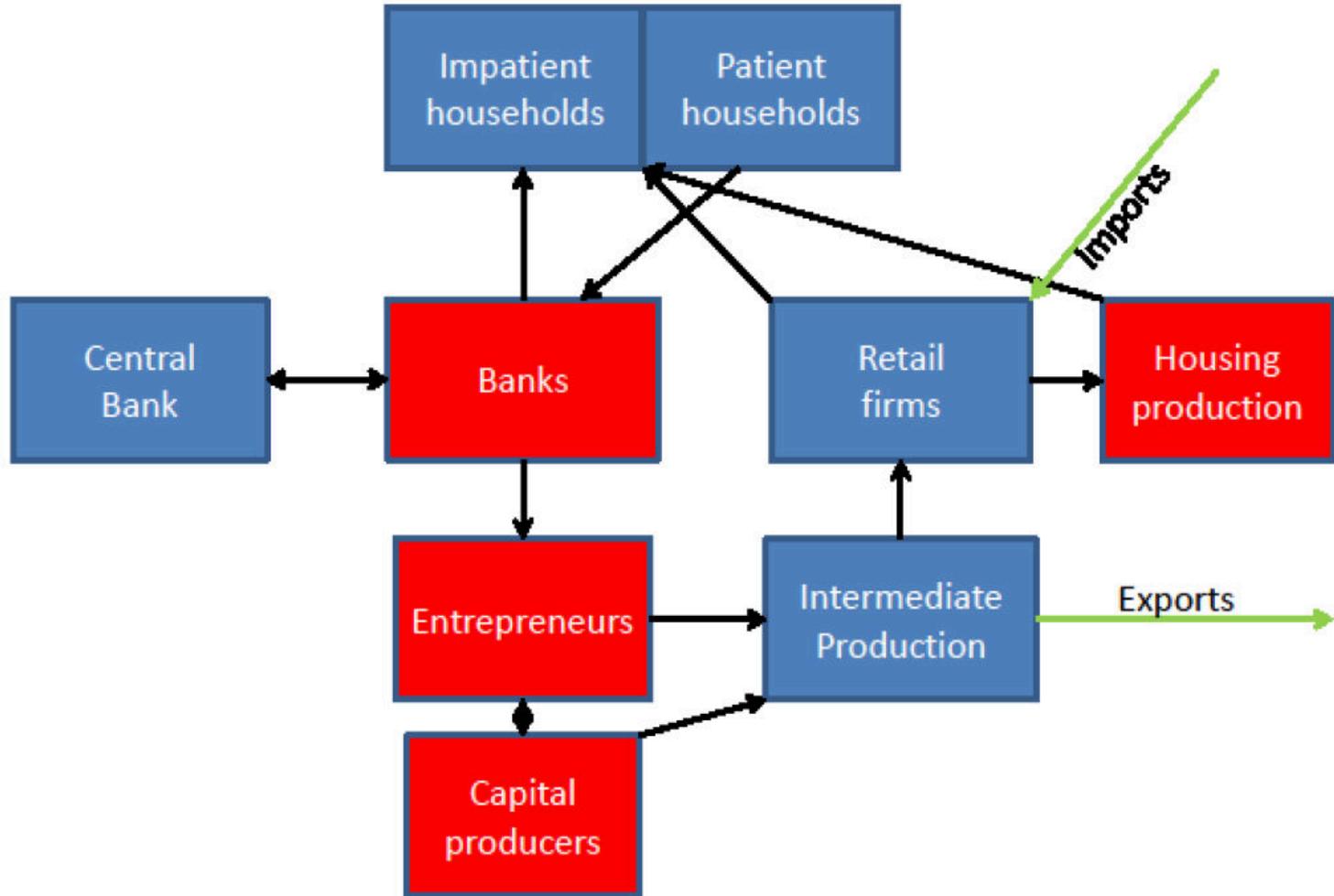
# Motivations

- NB concerns for financial stability in the aftermath of the crisis
  - **Very high increase in house prices**
  - **Very high household indebtedness**
- New NB advisory role for Ministry of Finance to set bank's capital buffer
- Necessity for new model's features to address those issues (NEMO III)

# Presentation Outline

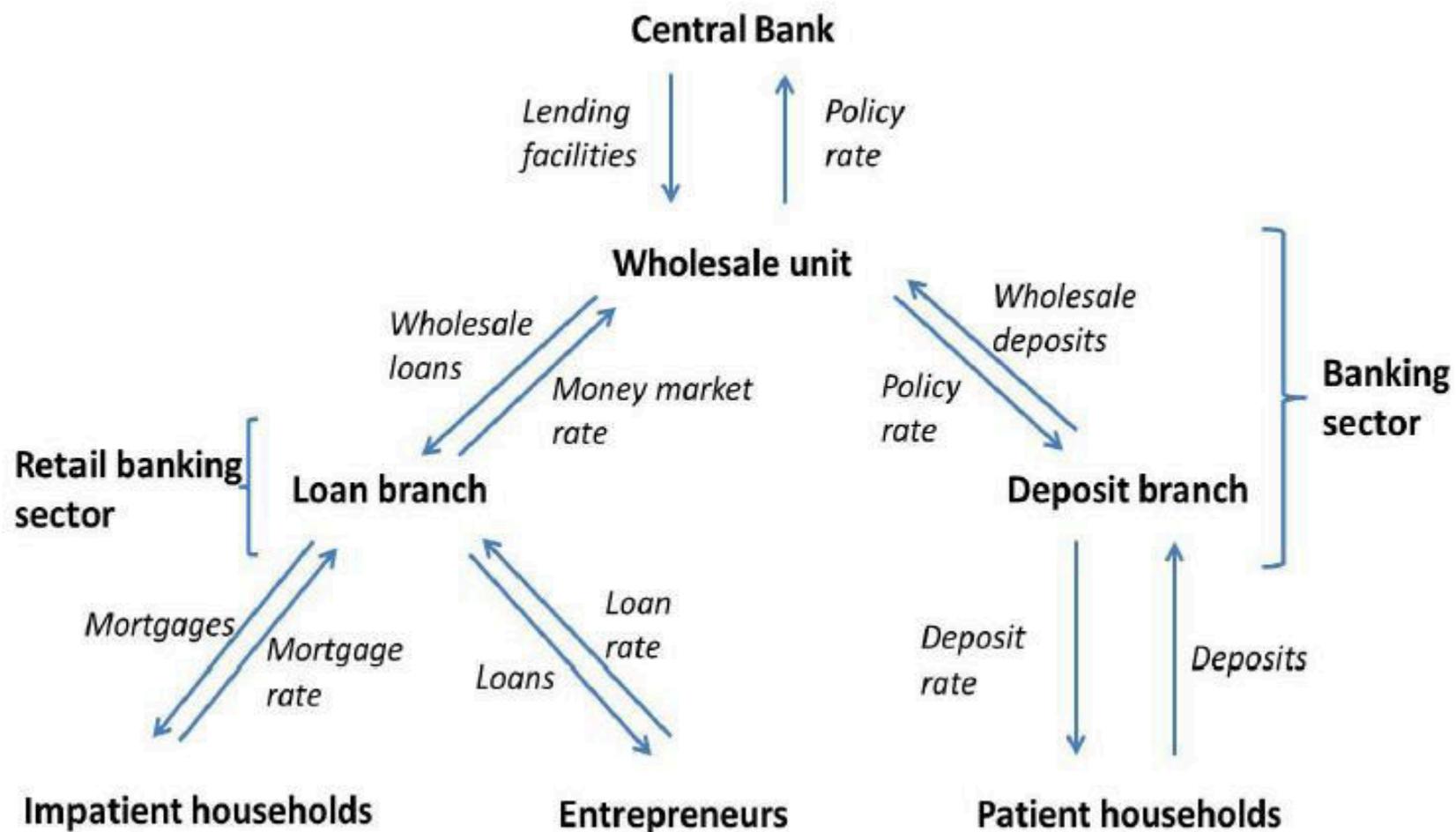
- New features of NEMO (Norwegian Economy Model)
- Fit with the data (and satellite NEMOs)
- Some old and new shocks
- Optimal monetary and macroprudential policies

# The Model



# The Model – Banks

Gerali et al. (2010)



# The Model – Wholesale Banks

Benes and Kumhof (2011)

- Overall balance sheet

$$B_t = B_t^E + B_t^{im} = K_t^b + D_t$$

- Idiosyncratic shock,  $\tilde{\omega}_t$ , to average return,  $R_t^A$ . Costs,  $\gamma^b B_t$ , increase if banks breach capital requirement,  $\gamma_t$ :

$$\tilde{\omega}_{t+1} R_t^A B_t - \bar{R}_t^d D_t < \gamma_t \tilde{\omega}_{t+1} R_t^A B_t$$

- Cut-off:

$$\bar{\omega}_{t+1} = \frac{\bar{R}_t^d D_t}{(1 - \gamma_t) R_t^A B_t} = \frac{\bar{R}_t^d}{(1 - \gamma_t) R_t^A} \left( 1 - \frac{K_t^b}{B_t} \right)$$

# The Model – Wholesale Banks

Benes and Kumhof (2011)

- Maximizes

$$\max_{\{B_t, D_t\}} E_t \left[ R_t^B B_t - \bar{R}_t^d D_t - \varkappa^b B_t F(\bar{\omega}_{t+1}) \right]$$

- which yields:

$$R_t^B - R_t = \varkappa^b E_t \left[ F(\bar{\omega}_{t+1}) + f(\bar{\omega}_{t+1}) \bar{\omega}_{t+1} (1 - l_t) \right], \quad l_t = \frac{B_t}{K_t^b}$$

# The Model – Entrepreneurs

BGG (1999) and Hafstead and Smith (2012)

- Need to borrow to finance investment
- Net worth given as accumulated retained earnings
- Idiosyncratic productivity shock, some entrepreneurs go bankrupt
- Monitoring by banks is costly
- The external finance premium is a function of the leverage

$$S_t \equiv E_t \left\{ \frac{R_{t+1}^k}{R_t^e} \right\} = f \left( \frac{P_t^k K_t}{N_t} \right)$$

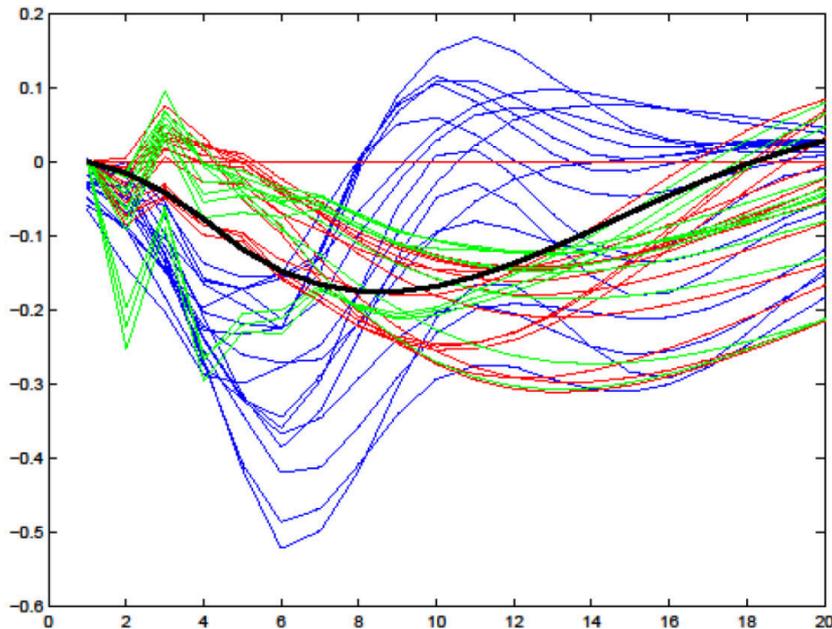
- But the marginal cost is

$$R_t^e = \frac{\theta^e}{\theta^e - 1} \bar{R}_t^e - \frac{(1 - \mu) \bar{\phi}_t^y}{\theta^e B_t^u}$$

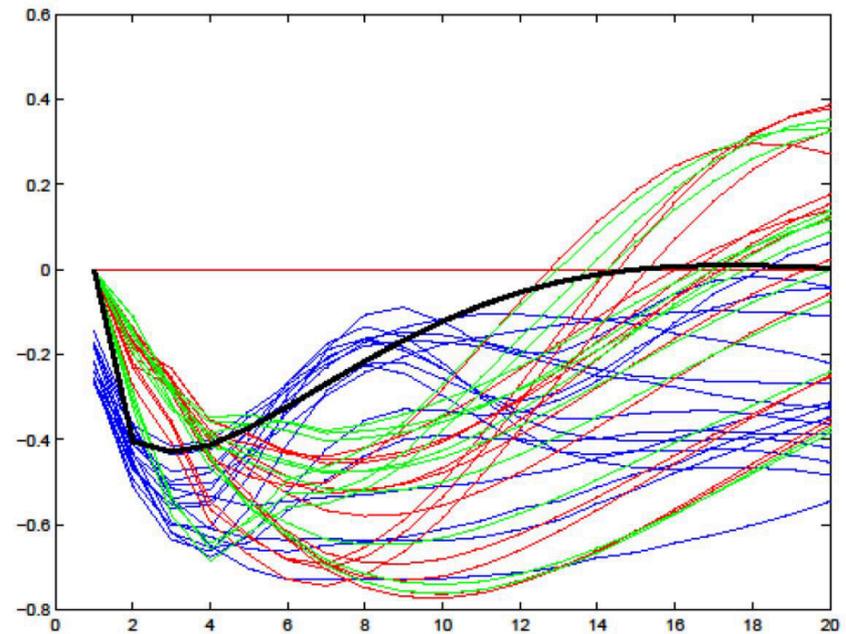
# Model Fit – VAR Evidence

- Monetary policy shock

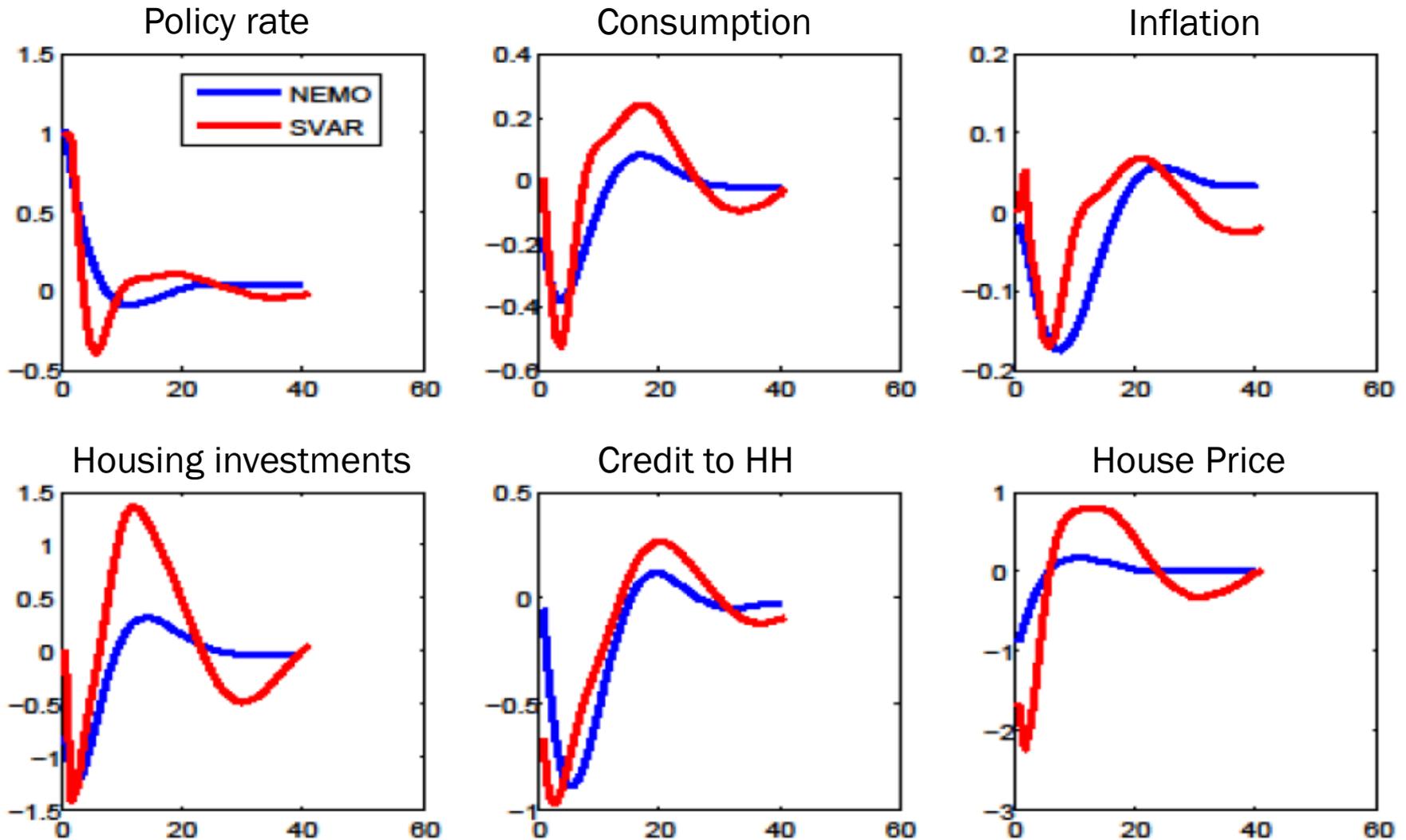
Inflation



Output



# Model Fit – SVAR Evidence



# House Prices Dynamics

- Based on Gelain, Lansing, Mendicino IJCB (2013)
  - **Standard DSGE models with housing fail to match house prices dynamics**
  - **Eventually matched via housing preference shock, i.e. an exogenous determinant**
  - **Better to rely on endogenous mechanism, i.e. expectation formation**
  - **Adaptive expectation better fit house price dynamics**

# Adaptive Expectations in a Nutshell

- Forecast is a moving-average of past values

$$F_t X_{t+1}^j = \lambda_j X_t^j + (1 - \lambda_j) F_{t-1} X_t^j$$
$$F_{t-1} X_t^j + \lambda_j \left[ X_t^j - F_{t-1} X_t^j \right]$$
$$\lambda_j \left[ X_t^j + (1 - \lambda_j) X_{t-1}^j + (1 - \lambda_j)^2 X_{t-2}^j \dots \right]$$

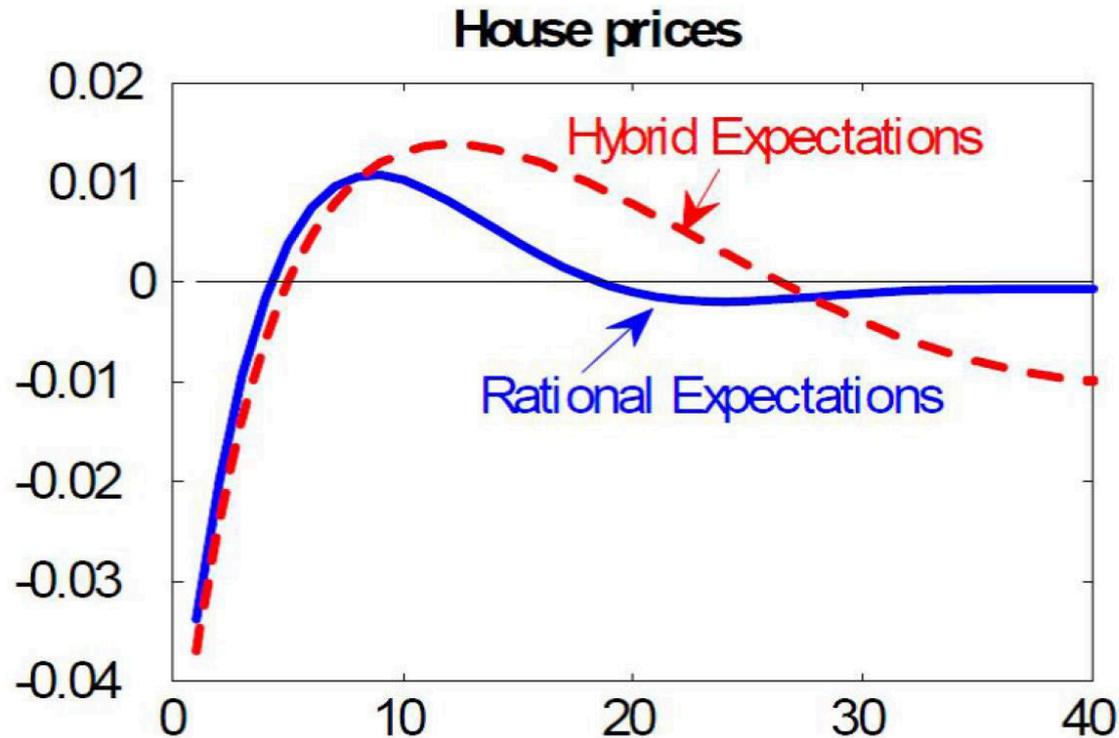
where  $\lambda$  = weight on recent data in moving-average

$$\hat{E}_t X_{t+1}^j = \omega F_t X_{t+1}^j + (1 - \omega) E_t X_{t+1}^j$$

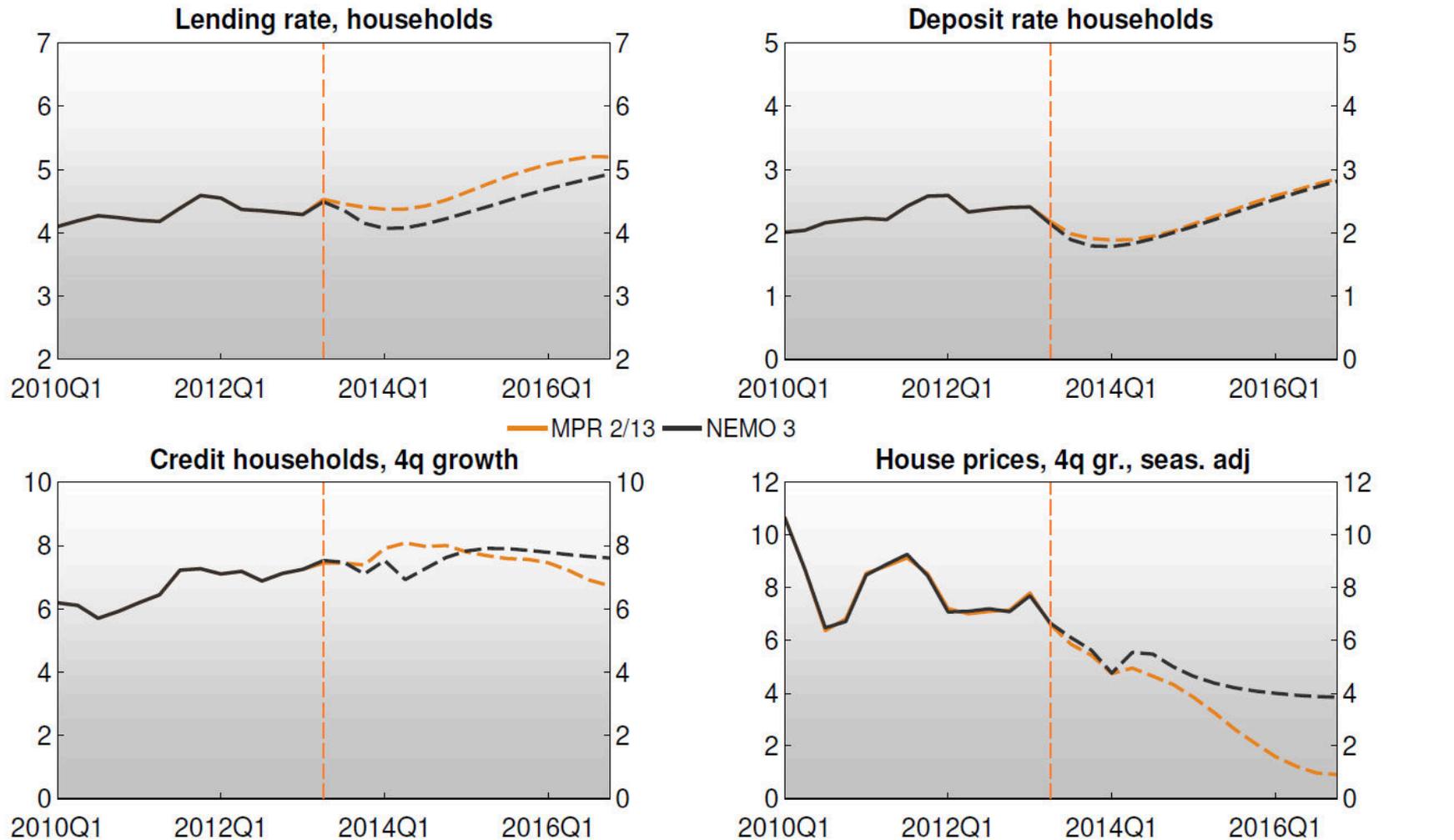
where  $\omega$  = fraction who employ moving-average forecast rule.  
Resulting model is labelled as “HYBRID” with no trade.

# House Prices Dynamics

- Monetary policy shock in NEMO under different expectations assumption

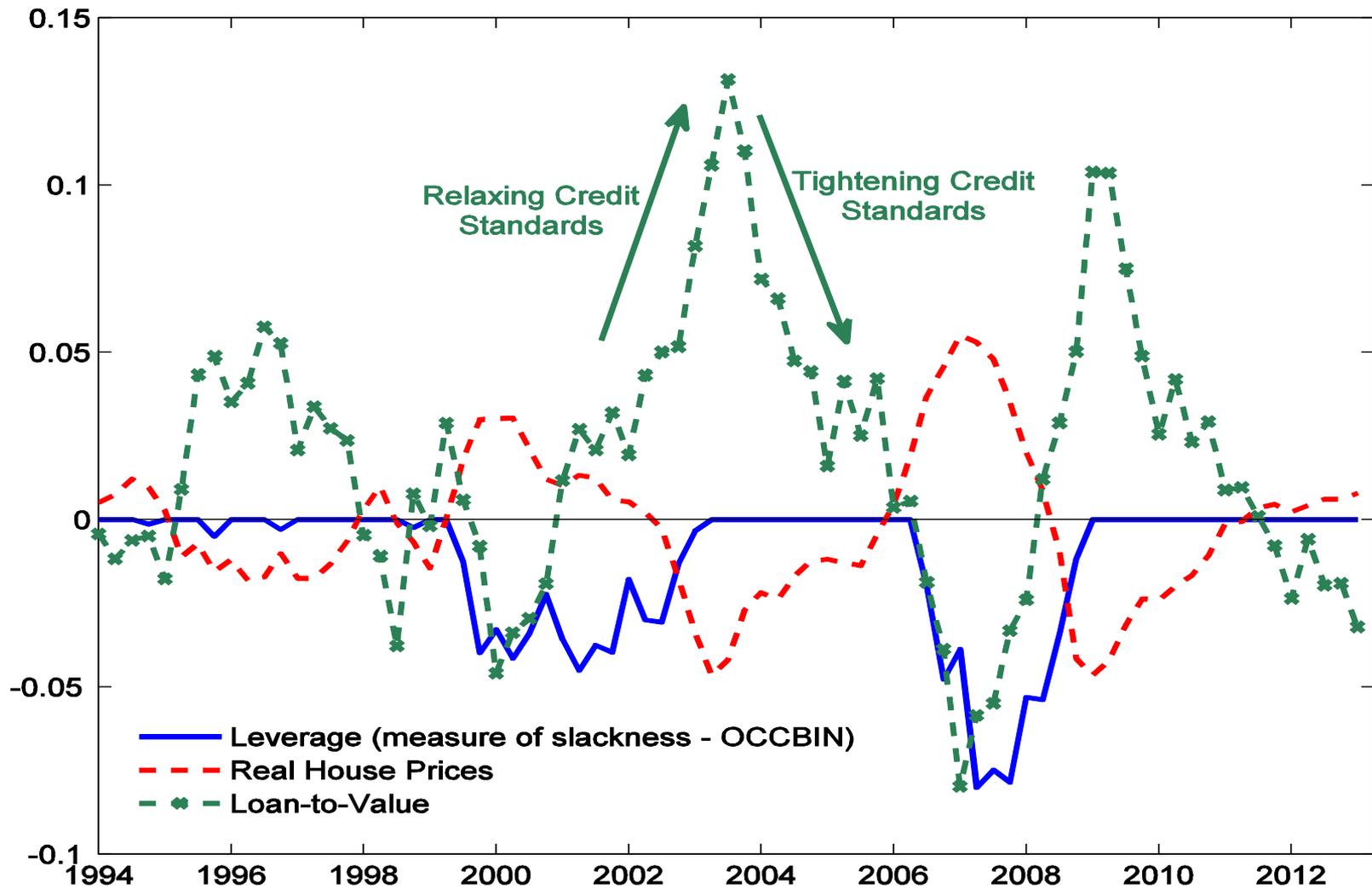


# Model Fit – Forecast

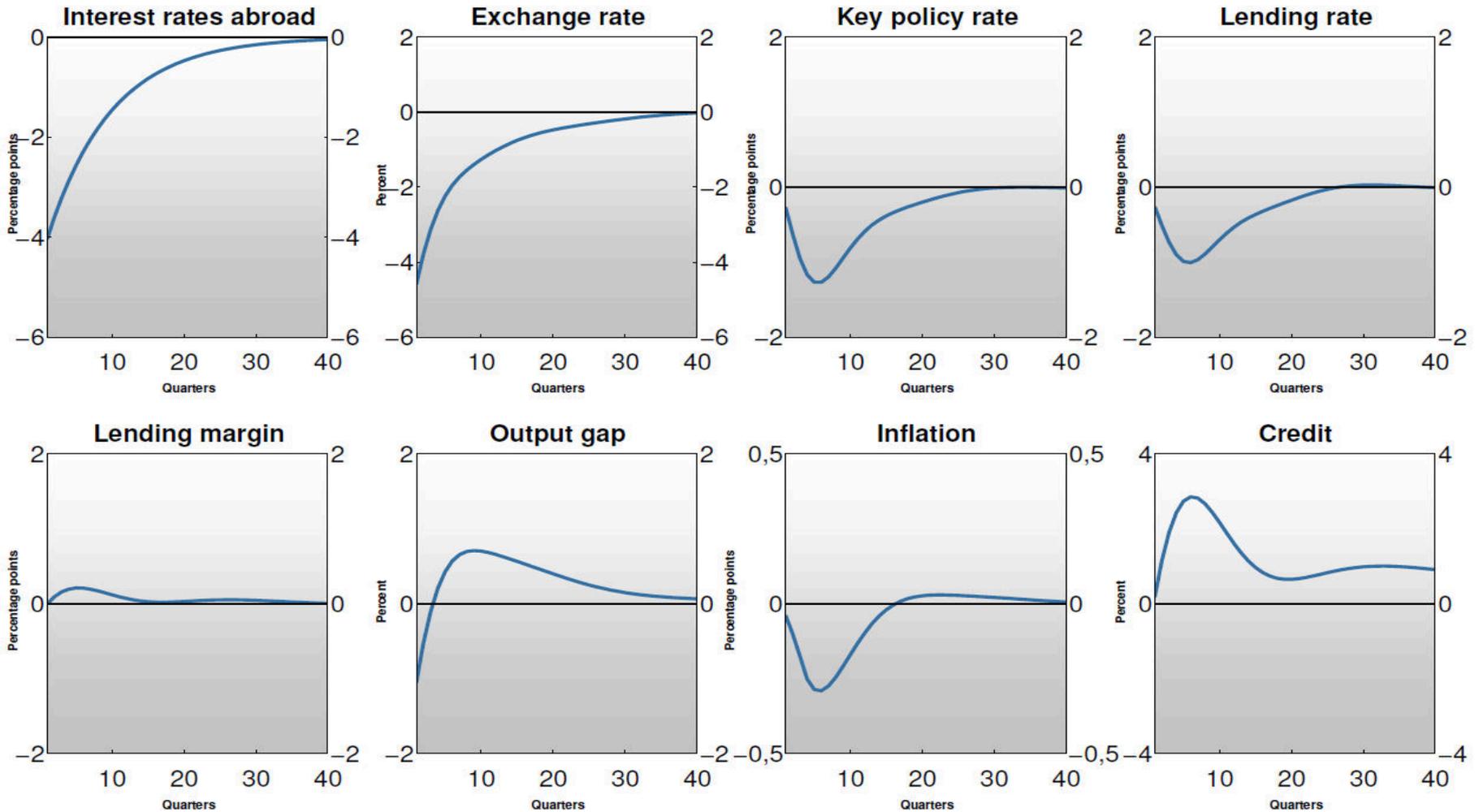


Kilder : Norges Bank og SSB

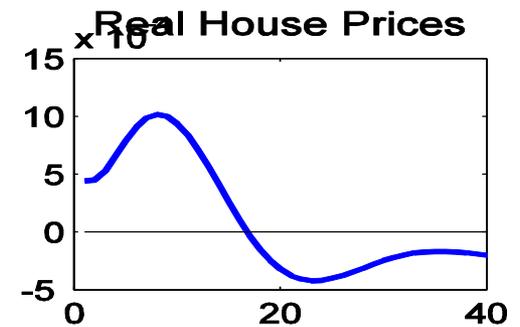
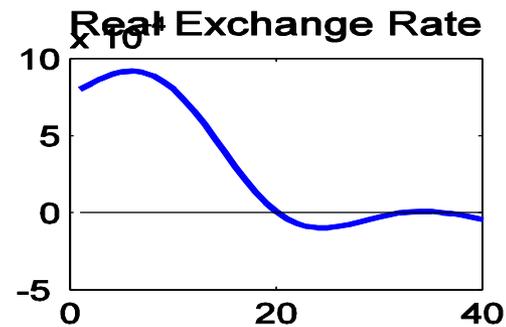
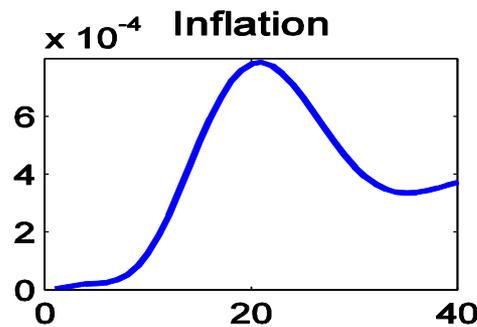
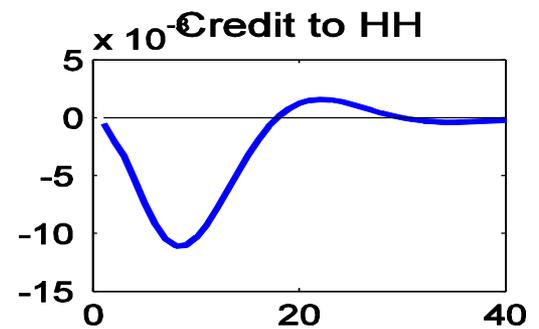
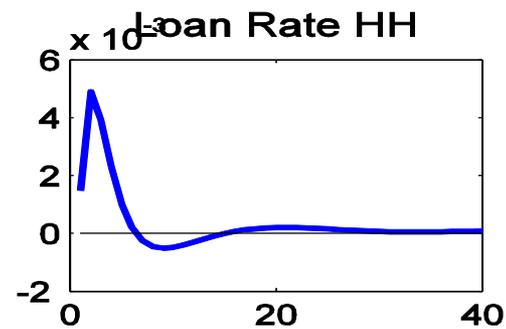
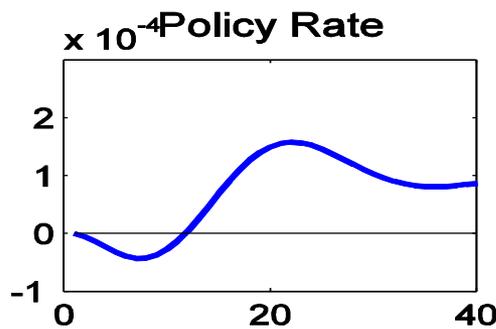
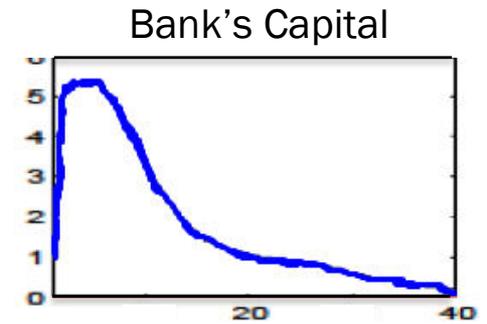
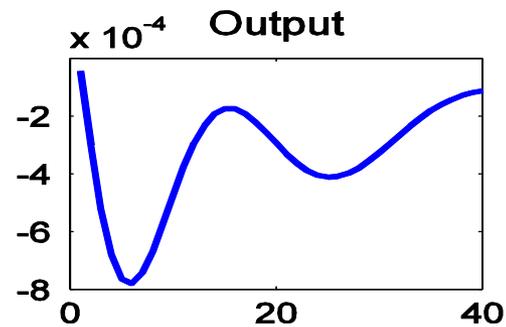
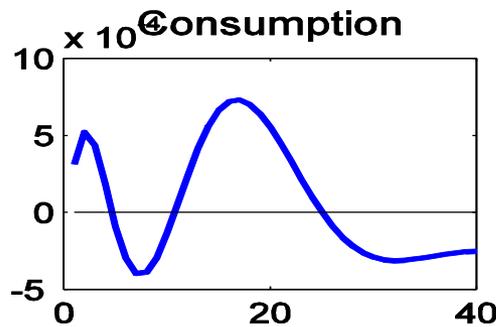
# Model Fit – Counterfactual



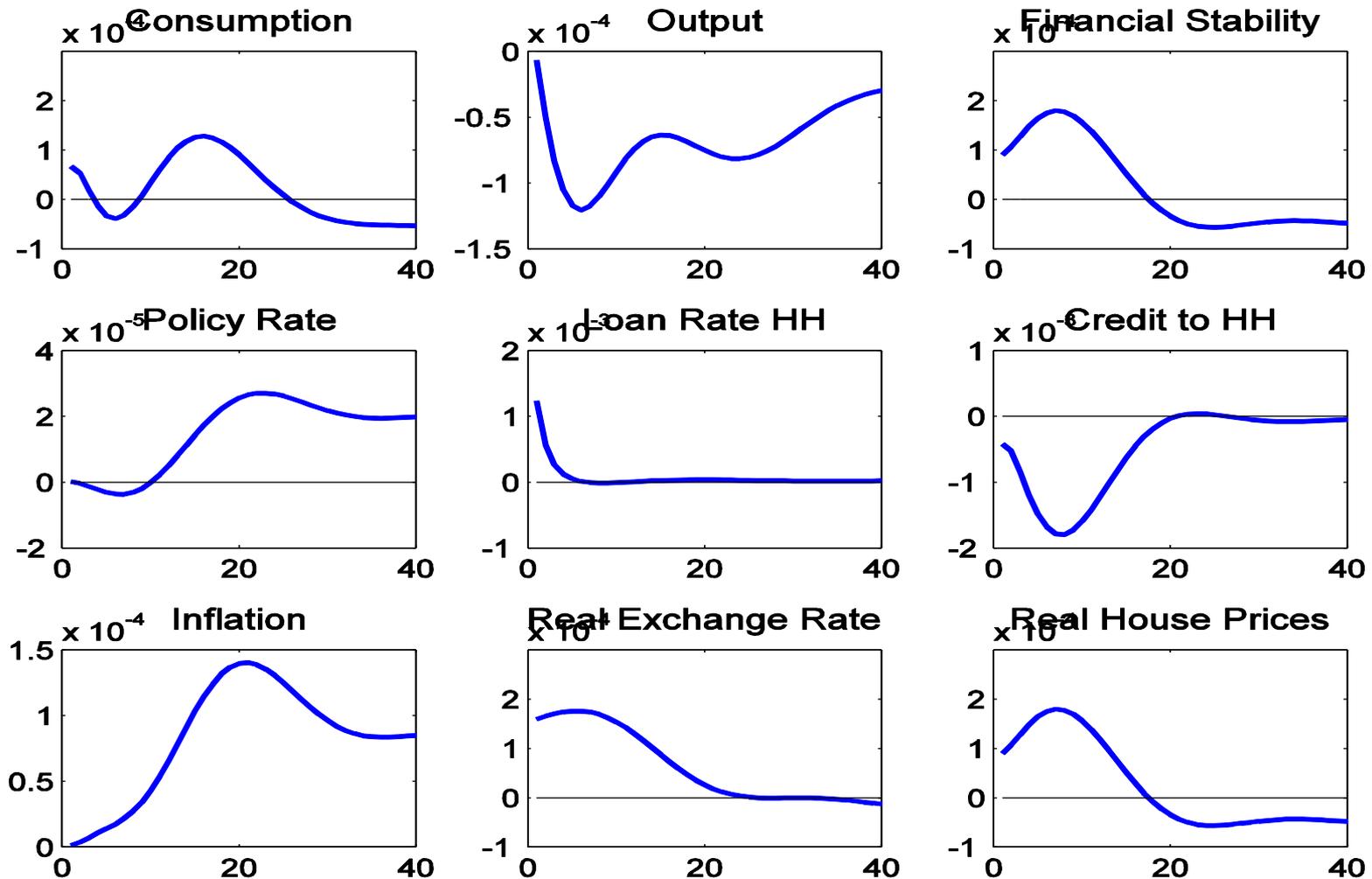
# Shock to Foreign Interest Rate



# Shock to Banks' Return



# Shock to Banks' Capital Requirement



# Optimal Monetary Policy

- Monetary policy objective is to minimize expected loss given model equations
  - **Aim: medium term forecast**
  - **Model medium term forecast is conditional to short term forecast from different sources (SAM, sector expertise, etc.)**
- How to take financial stability issues into account within the framework of monetary policy
  - **Assessment outside model**
  - **Assessment within NEMO I**
  - **Assessment with NEMO III**
- Advisory role for Ministry of Finance to set bank's capital buffer

# Optimal Monetary Policy

- Monetary policy objective is to minimize expected loss given model equations

$$\mathcal{L}_t = E \sum_{i=0}^{\infty} \beta^i (x'_{t+i} \Lambda x_{t+i})$$

- Period loss function

$$L_t = \hat{\pi}_t^2 + \lambda_y \hat{y}_t^2 + \lambda_r \hat{f}_t^2 + \lambda_{\Delta r} (\Delta r_t)^2$$

where  $\hat{f}_t$  has taken different meaning over time

# Optimal Monetary Policy

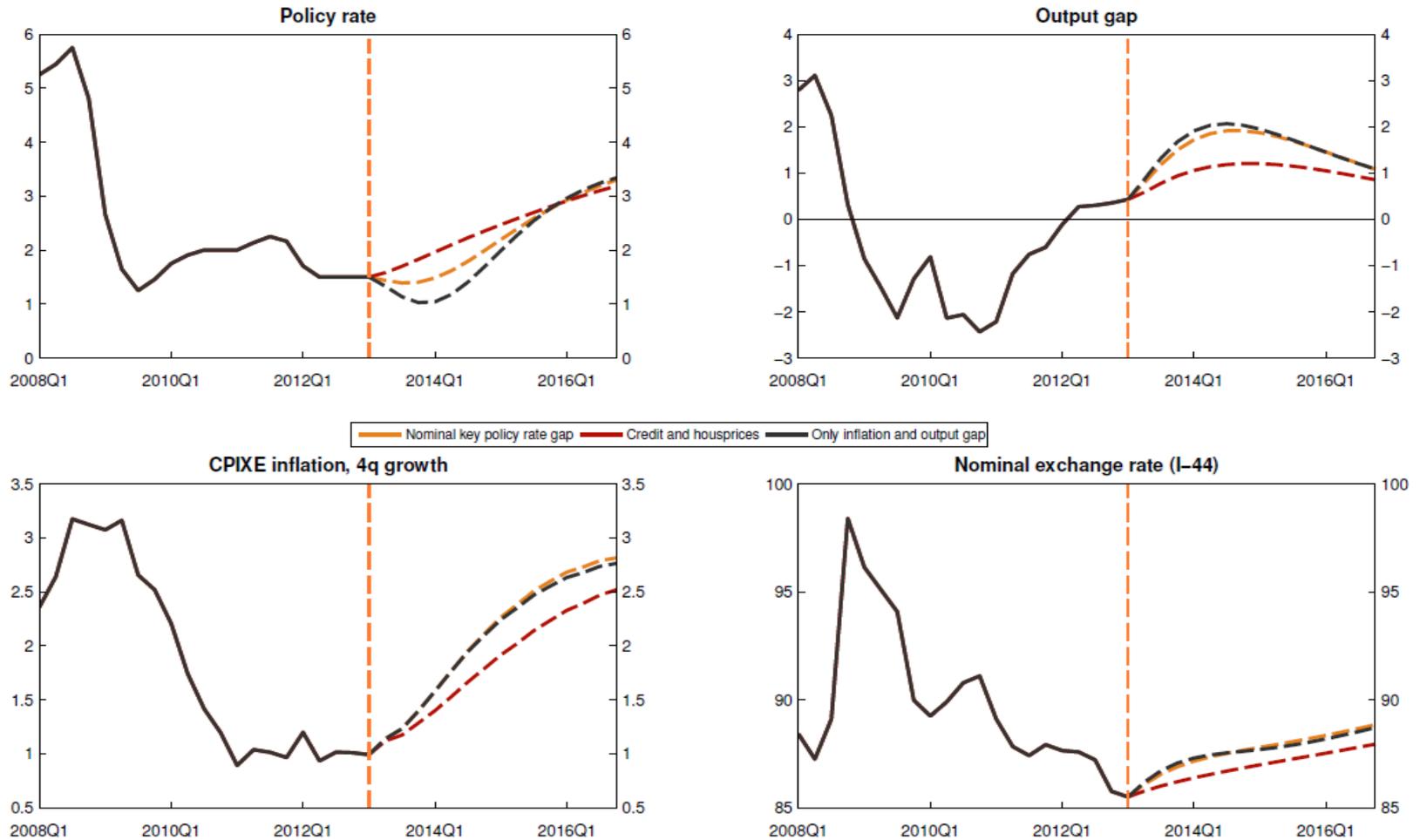
- Assessment outside model
  - $\hat{f}_t$  is not defined
- Assessment within NEMO I
  - Increased weight on output stabilization
  - Deviation of policy rate from normal level

$$\hat{f}_t = i_t - i_t^*$$

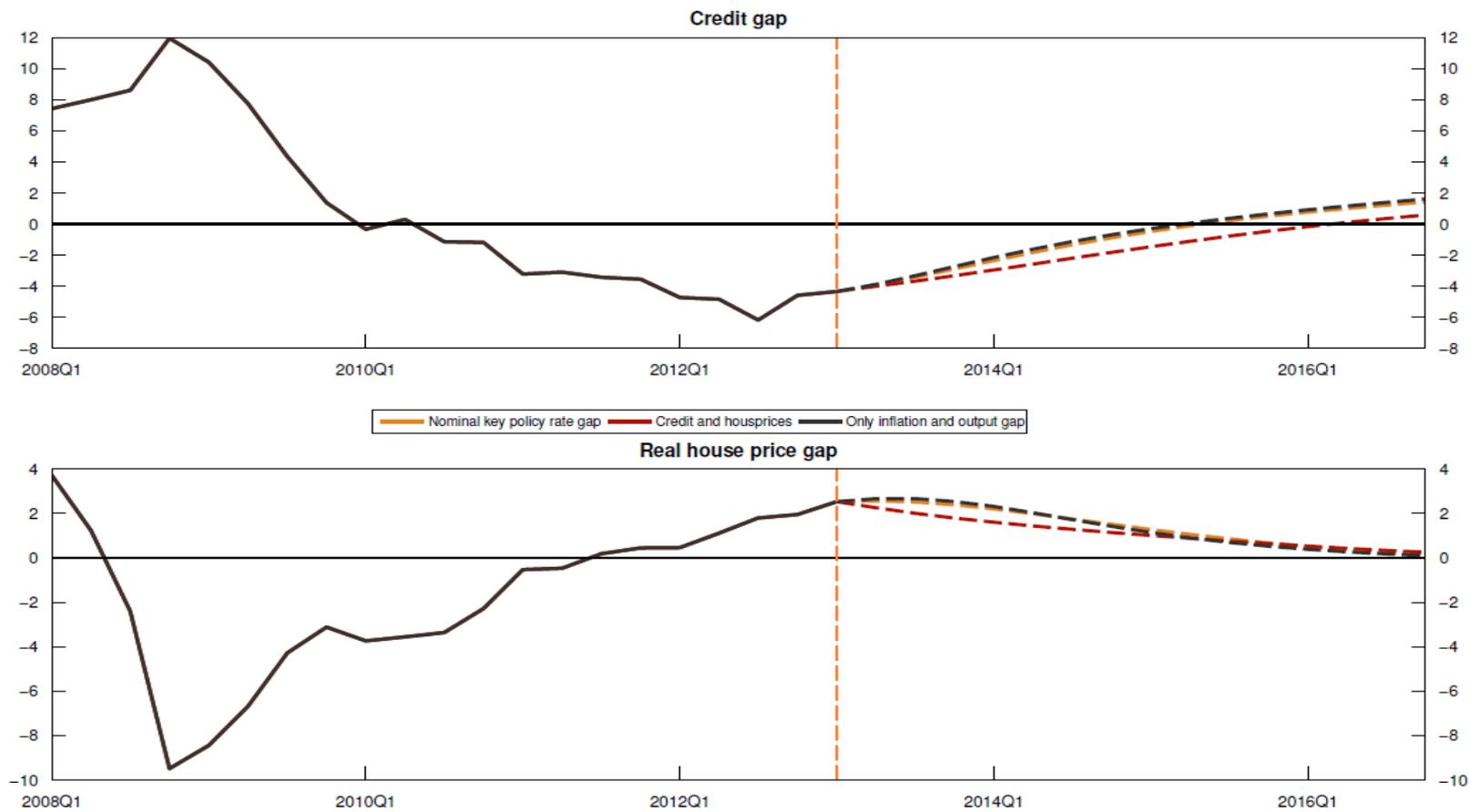
- Assessment within NEMO III
  - Financial imbalances index

$$\hat{f}_t = \alpha \hat{b}_t + (1 - \alpha) \hat{p}_t^H + z_t^f$$

# Effects of Different Loss Functions on Forecast



# Effects of Different Loss Functions on Forecast



# Macroprudential Policy

## Countercyclical capital buffer

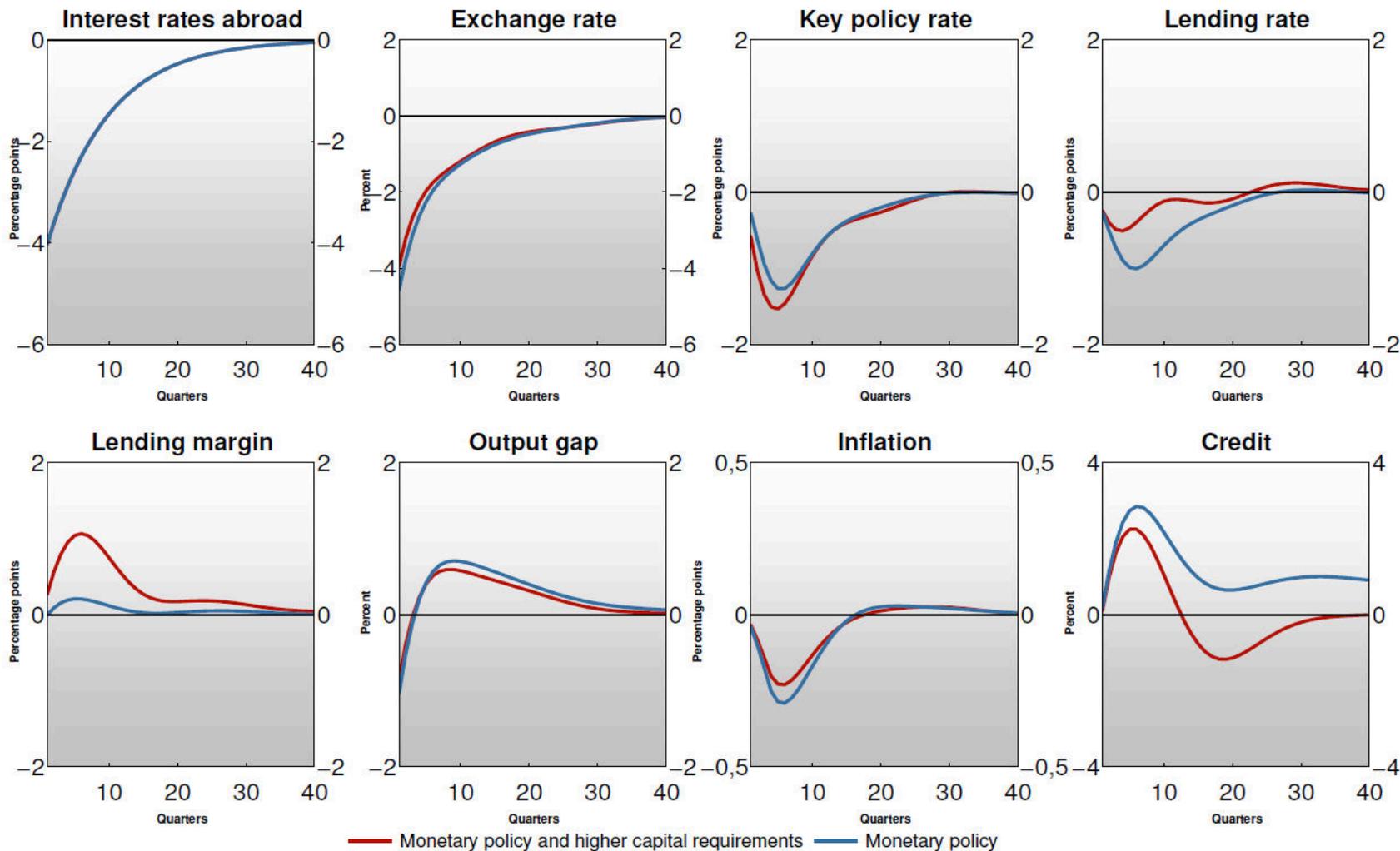
- The countercyclical capital buffer should satisfy the following criteria:
  - **Banks should become more resilient during an upturn**
  - **The size of the buffer should be viewed in light of other requirements applying to banks**
  - **Stress in the financial system should be alleviated**
- Further aim: curb high credit growth

# Macroprudential Policy

## Countercyclical capital buffer

- The advice will be based on 4 main indicators:
  - **Ratio of total credit to GDP**
  - **Wholesale funding ratio of credit institutions**
  - **Ratio of house prices to household disposable income**
  - **Commercial property prices**

# Two Instruments – Shock to Foreign Interest Rate



Thank you.